## **Pre-Calculus 12** Solving Exponential Equations (with common bases) **Review Exponent Laws** $\frac{x^n}{x^m} = \chi^{n-m} \qquad (x^n)^m = \chi^{n-m}$ $x^n \cdot x^m = \chi^{\gamma + m}$ $\left(\frac{x}{y}\right)^n = \frac{x}{\sqrt{x}}$ $x^0 = | \qquad x^{-n} = \frac{1}{x^n}$ $x^{n/m} = \sqrt[m]{\times^n}$ Steps to solve an exponential equation: ie x = tx 1. If the bases are the same (one base on each side) use one-to-one property; equate the exponents and solve $x^{\frac{2}{3}} = \sqrt[3]{x^2}$ If $b^m = b^n$ , then m = n2. If bases are different; > rewrite with the same base equate the exponents and solve Ex. 1) Solve for x. a) $2^{5x-1} = 16$ 25x-1 = 24 :- 5x-1=4 c since 24 can only equal 24, 5x=5 we can equate exponents and solve x=1 for x b) $4^{x+2} = 64^x$ $\mathcal{A}^{\times + a} = (\mathcal{A}^{3})^{\times}$ 4 x+2 = 4 3x '- x+2=3x 2 : 2X 1 = X

## Solving Exponential Equations.notebook

$$f(coll: \lambda^{-3} - \frac{1}{\lambda^3})$$

$$(c) 3^{x}(27) = 81^{2x+1}$$

$$3^{x} \cdot 3^{3} : (3^{4})^{(2x+1)}$$

$$3^{x+3} : 3^{y}x^{+4}$$

$$3^{x} \cdot (2^{2})^{(x+2)} : (2^{-3})^{(x+2)}$$

$$3^{x+3} : 3^{y}x^{+4}$$

$$3^{x} \cdot (2^{2})^{(x+2)} : (2^{-3})^{(x+2)}$$

$$3^{x+3} : 3^{y}x^{+4}$$

$$2^{x+2} : 2^{-3x-6}$$

$$3^{x+3} : 3^{y}x^{+4}$$

$$2^{5x-2} : 2^{-3x-6}$$

$$3^{x+3} : 3^{y}x^{+4}$$

$$2^{5x-2} : 2^{-3x-6}$$

$$3^{x} : -\frac{1}{2} : x^{x+3} : 3^{x}x^{+4}$$

$$3^{x} : -\frac{1}{2} : x^{x+3} : 3^{x}x^{-4}$$

$$(2^{2})^{(x+1)} : (2^{2})^{(x+2)} : 3^{x} : -\frac{1}{2}$$

$$(2^{2})^{(x+1)} : 2^{x}\sqrt{2}$$

$$(2$$

To solve for a missing base, raise both sides of the equation to the reciprocal power of the given exponent.

Ex. 2) Solve.

a.) 
$$b^4 = 16$$
  
 $4\sqrt{b} \cdot \sqrt[4]{16}$   
 $b \cdot t 2$ 

b.) 
$$b^{\frac{2}{3}} = 9$$
  
 $(b^{\frac{2}{3}})^{\frac{3}{2}} : 9^{\frac{3}{2}}$  = raise both  
 $b = (\sqrt{9})^{3}$  reciprocal power  
 $b = 27$  Recall:  
Anything times its  
reciprocal will  
 $e zual 1$   
Pg. 364  
 $\# 16, c$   
 $2c, 3c$   
 $4b, d$   
 $5a, c, d$   
(reate Connections  
 $c_{2}$  (P8. 365)