

Math

Combining Functions

PC40S

Name: _____

Multiple Choice

1.) Given $f(x) = x + 4$ and $g(x) = 2\sqrt{x}$, identify the value of $g(f(0))$.

- a.) 4 b.) $2\sqrt{x + 4}$ c.) 2 d.) 0

2.) Identify which function represents $y = f(g(x))$, if $f(x) = \sqrt{x + 1}$ and $g(x) = x^2 - 2$.

- a.) $y = x - 1$ b.) $y = \sqrt{x^2 - 1}$ c.) $y = \sqrt{x^2 - 2}$ d.) $y = \sqrt{x + 1} - 2$

3.) Given $f(x) = \frac{1}{x}$ and $g(x) = (x + 1)^2$, identify the domain of $h(x) = (f \cdot g)(x)$.

- a.) $\{x|x \neq 1, x \in \mathbb{R}\}$ b.) $\{x|x \neq -1, x \in \mathbb{R}\}$ c.) $\{x|x \neq 0, x \in \mathbb{R}\}$ d.) $\{x|x \in \mathbb{R}\}$

4.) Identify the simplified form of $\frac{2^9}{(4^3)^2}$.

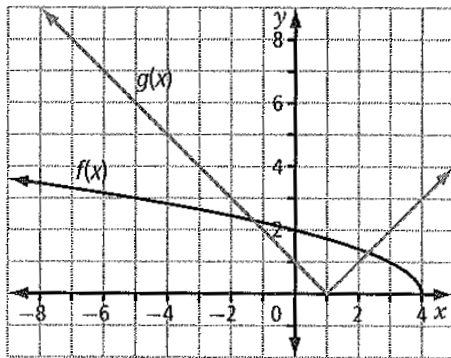
- a.) 2^{-3} b.) 2^3 c.) 2^1 d.) 2^{-1}

5.) Identify the quadrant in which $\theta = 2.15$ terminates.

- a.) I b.) II c.) III d.) IV

Long Answer

1.) Use the given graph to evaluate the following.



(4)

a.) $(f + g)(4)$

b.) $(f - g)(0)$

c.) $(g - f)(-5)$

d.) $(f \cdot g)(3)$

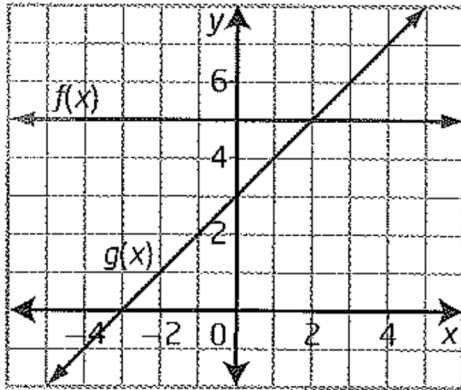
e.) Explain why the domain of $(f + g)(x)$ is $(-\infty, 4]$

(2)

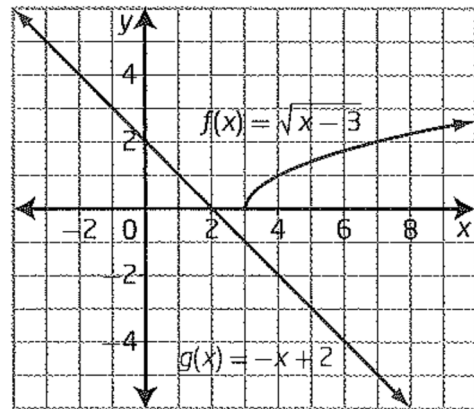
2.) Sketch the following

a.) $(f \cdot g)(x)$

(4)



b.) $(f - g)(x)$



3.) Given $f(x) = x + 2$ and $g(x) = x^2 - 4$, determine the equation for $h(x) = \left(\frac{g}{f}\right)(x)$.
State the domain of $h(x)$.

(3)

4.) If $h(x) = f(g(x))$, determine $g(x)$ when $h(x) = (2x - 5)^2$ and $f(x) = x^2$.

(1)

(6) 5.) If $f(x) = 2x + 8$ and $g(x) = 3x - 2$, determine the value of:
a.) $f(g(-2))$

b.) $f(f(0))$

c.) $g(f(a))$

(1) 6.) Given $f(x) = \frac{1}{x+4}$ and $g(x) = x^2 + 4x$, determine
a.) $f(g(x))$

(2) b.) the domain of $f(g(x))$.

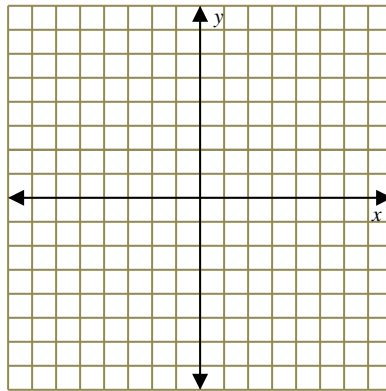
7.) Given $f(x) = x + 1$ and $g(x) = x^2$,

a.) determine $f(g(x))$

(1)

a.) sketch the graph of $f(g(x))$

(2)



8.) Determine the exact value of $\sin \frac{19\pi}{12}$.

(3)

9.) Solve.

$$\log_3(2x - 1) = 2 - \log_3(x + 1)$$

(4)

10.) The domain of a function is $(-\infty, 5]$. Chris says this means that the range of its inverse function must be $(-\infty, 5]$. His teacher says he is correct. Explain why the domain of any function becomes the range its inverse.

(2)