

Linear Systems

Key Ideas:

1. Types of Systems

- **independent (different slopes, one solution – a point)**
- **inconsistent (same slope, different y-intercept - no solution)**
- **dependent (same slope and y-intercept - infinite solutions)**

2. Solving Systems

- **graphing**
- **substitution strategy (isolate a variable)**
- **elimination strategy (cancel out one of the variables)**

3. Word Problems

- **write 2 equations (system) and solve**

***Note: Watch your positive and negative signs!!**

1. State the ***type of system***:

a)
$$\begin{aligned}x + y &= 3 \\ -2x - y &= 2\end{aligned}$$

b)
$$\begin{aligned}3x + y &= 9 \\ 6x + 2y &= 12\end{aligned}$$

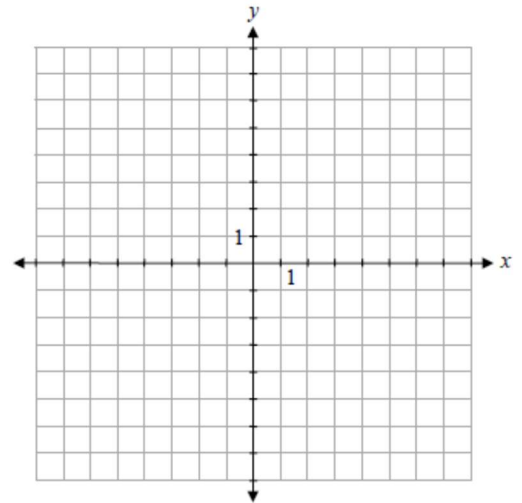
2. Determine whether the point is a solution to the system.

a) $-3x + 2y = 8$; $(-4, -2)$
 $x + 2y = -8$

b) $x - 2y = 4$; $(-2, 1)$
 $3x + y = 5$

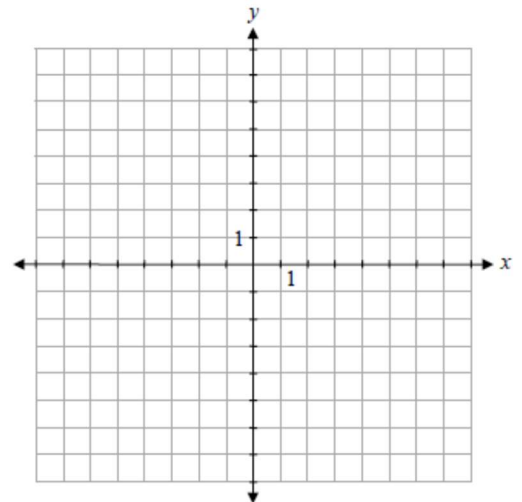
3. Solve by **graphing**. What type of system is it?

$x - y = 3$
 $4x + 5y = 30$



4. Solve by graphing. What type of system is it?

$2y + x - 4 = 0$
 $2y = -x + 4$



5. Solve by **substitution**:

$$2x + 3y = 11$$

$$4x - y = -13$$

6. Solve by **substitution**:

$$-7x - 2y = -13$$

$$x - 2y = 11$$

7. Solve by **elimination**:

$$5x + 4y = -30$$

$$3x - 9y = -18$$

8. Solve by **elimination**:

$$2x + 3y = 6$$

$$5x + 10y = 20$$

9. Edward has a jar containing **nickels** and **dimes**. The **total number** of coins is 300, and their **value** is \$23.25. How many of each coin is in the jar?

10. Castel and Gabriella are selling pies for a school fundraiser. Customers can buy apple pies and lemon meringue pies. Castel sold 6 apple pies and 4 lemon meringue pies for a total of \$80. Gabriella sold 6 apple pies and 5 lemon meringue pies for a total of \$94. What is the cost each of one apple pie and one lemon meringue pie?